

$E \cdot E'$	$E' \cdot ssE' \cdot ss$	$\sigma_{\text{excess}} \sigma_{\text{excess}}$
$LGW(e) LGW'(e)$	$LGW(e=0) LGW'(e=0)$	$[LGW(e) - LGW(0)] / T_{\text{eff}} [LGW'(e) - LGW'(0)] / T_{\text{eff}}$
$P_{\text{tide}}(\Omega, e) P_{\text{tide}}'(\Omega, e)$	$P_{\text{tide}}(\Omega=n, e) P_{\text{tide}}'(\Omega=n, e)$	$[P_{\text{tide}}(\Omega, e) - P_{\text{tide}}(n, e)] / T_{\text{eff}} [P_{\text{tide}}'(\Omega, e) - P_{\text{tide}}'(n, e)] / T_{\text{eff}}$
$L_{\text{disk}} L_{\text{disk}}'$	$L_{\text{disk, steady}} L_{\text{disk, steady}}'$	$[L_{\text{disk}} - L_{\text{disk, ss}}] / T_{\text{eff}} [L_{\text{disk}}' - L_{\text{disk, ss}}'] / T_{\text{eff}}$

3.3 平均値

時間平均値 $\langle \sigma_{\text{excess}} \rangle = \frac{1}{T} \int_0^T \sigma_{\text{excess}}(\phi t(x)) dt$

空間平均値 $\langle \sigma_{\text{excess}} \rangle = \int_0^\infty \sigma_{\text{excess}}(\phi t(x)) dt$

時間空間平均値 $\langle \sigma_{\text{excess}} \rangle = \frac{1}{T} \int_0^T \int_0^\infty \sigma_{\text{excess}}(\phi t(x)) dt dx$

時間空間平均値 $\langle \sigma_{\text{excess}} \rangle = \frac{1}{T} \int_0^T \int_0^\infty \sigma_{\text{excess}}(\phi t(x)) dt dx$

4. 平均値

4.1 時間平均

時間平均値 $\langle \sigma_{\text{excess}} \rangle = \frac{1}{T} \int_0^T \sigma_{\text{excess}}(\phi t(x)) dt$

時間平均値 $\langle \sigma_{\text{excess}} \rangle = \frac{1}{T} \int_0^T \sigma_{\text{excess}}(\phi t(x)) dt$

- 時間平均値
- 空間平均値

5.1 熵

熵是热力学中描述系统无序程度的物理量。

熵的统计力学解释由 Boltzmann 提出，Carroll (2004)、Schutz (2009)、Wald (1984)、Misner, Thorne & Wheeler (1973) 等著作中有详细讨论。

5.2 熵变

熵变	熵
熵	熵变
熵变 熵	熵变
熵	熵
熵	$\sigma_{\text{excess}} = [LGW(e) - LGW(\theta)] / T_{\text{eff}}$ $\sigma_{\text{excess}} = [LGW(e) - LGW(\theta)] / T_{\text{eff}}$

5.3 熵流

$$D_{\infty} = \int_{\theta}^{\infty} \sigma_{\text{excess}}(t) dt = \int_{\theta}^{\infty} [LGW(e(t)) - LGW(\theta)] / T_{\text{eff}} dt$$

$$= \int_{\theta}^{\infty} \sigma_{\text{excess}}(t) dt = \int_{\theta}^{\infty} [LGW(e(t)) - LGW(\theta)] / T_{\text{eff}} dt$$

熵流是熵随时间的变化率，反映了系统与外界交换熵的情况。

$$\tau \tau \quad D_{\infty} D_{\infty} \quad \kappa = 1 \tau \alpha 1 D_{\infty} \kappa = \tau 1 \alpha D_{\infty} 1$$

6. 熵变

6.1 熵

熵是热力学中描述系统无序程度的物理量。

熵的统计力学解释由 Boltzmann 提出，Carroll (2004)、Schutz (2009)、Wald (1984)、Misner, Thorne & Wheeler (1973) 等著作中有详细讨论。

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